

Gross and Net Precipitation

- The **net** (**excess**) precipitation that contributes directly to surface runoff is equivalent to the **gross** precipitation minus **losses** to **interception**, **evaporation**, **depression storage**, and **infiltration**
- The relation between **excess** precipitation P_e and gross precipitation P is: $P_e = P - \Sigma \text{ losses}$

Areal Precipitation (mean precipitation over an area)

لتخمين كمية المطر الكلية الساقطة على مساحة كبيرة، فمن الضروري تحويل قراءات المقاييس المنفردة إلى متوسط عمق على تلك المساحة.

- It is important to know the areal distribution of precipitation
- In general, an **average depth** for the watershed is determined and used
- For this, **point** precipitation readings are utilized to develop average precipitation depth over an area
- There are different methods for finding the areal average rainfall for an area of interest

1- The Arithmetic-Mean Method

- This is the **simplest** method of determining the areal average rainfall
- The average rainfall depth for an area is found by computing the average of the depth values for all the gages using the following formula:

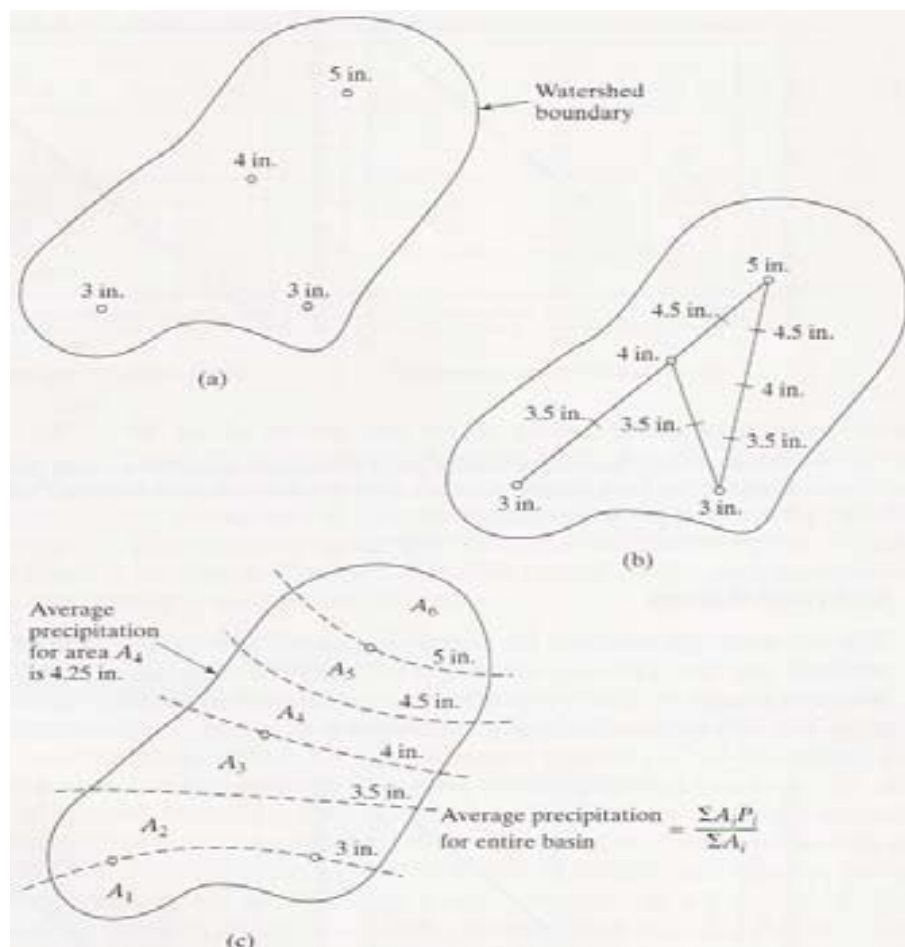
$$\bar{P} = \frac{1}{n} \sum_{i=1}^n (P_i)$$

where n is the number of gages and P_i is the rainfall recorded at gage i

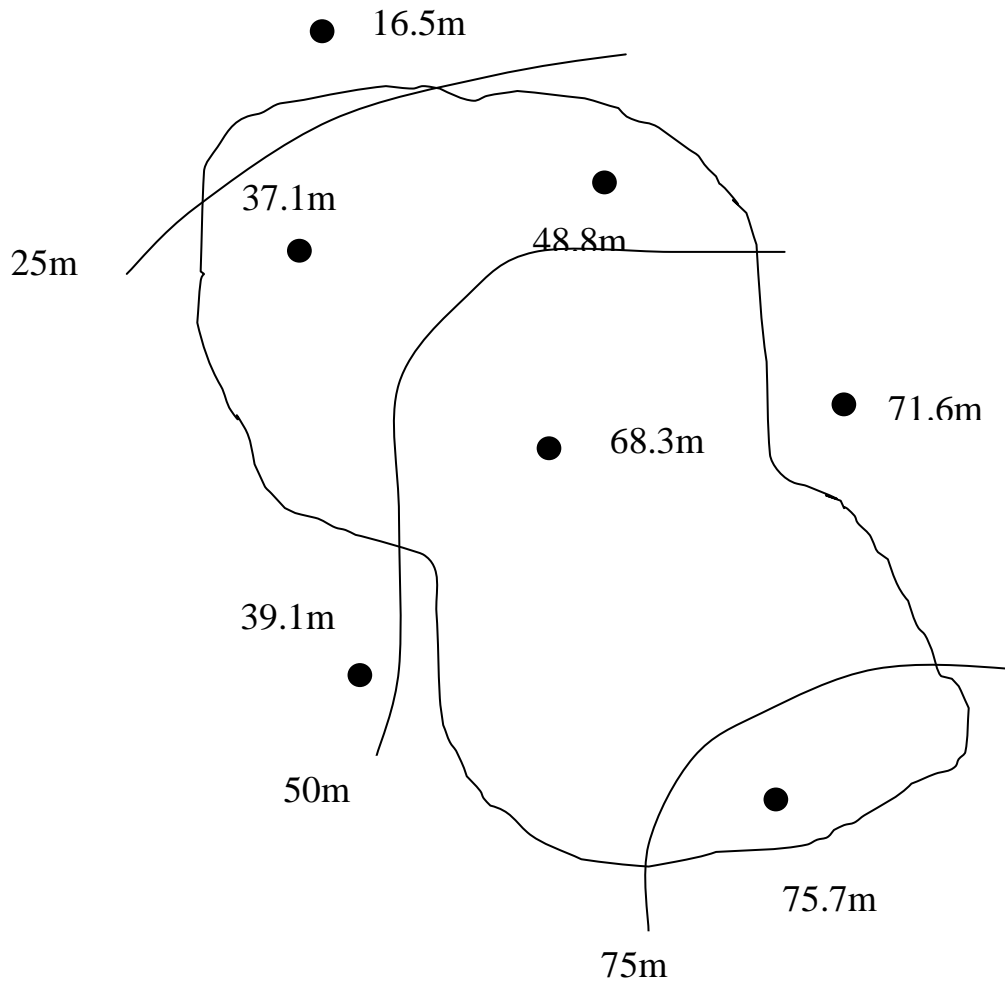
2- The Isohyetal Method (most accurate method)

- The isohyetal method is based on **interpolation** between gauges
- **Plot** the rain gauge locations and **record** the rainfall amounts
- **Interpolation** between gauges is performed
- Rainfall amounts at selected **increments** are plotted
- Identical depths from each interpolation are then connected to form isohyets (**lines of equal rainfall depth**)

تتلخص هذه الطريقة في رسم خطوط تساوي المطر (Isohyets) على خريطة المنطقة الموقع عليها محطات القياس وسمك المياه المتساقطة عند كل محطة. هذه الخطوط تشكل توزيعا ذا دقة كبيرة للمياه المتساقطة على المنطقة.



Example:



| Isohyets | Area enclosed (Km ²) | Net area (Km ²) | Average rainfall (mm) | Rainfall volume (km ² .mm) |
|----------|----------------------------------|-----------------------------|-----------------------|---------------------------------------|
| >75 | 82 | 82 | 80* | 6560 |
| 75-50 | 892 | 810 | 62.5 | 50625 |
| 50-25 | 1459 | 567 | 37.5 | 21262.5 |
| <25 | 1621 | 162 | 20* | 3240 |
| | | | | ∑81687.5 |

$$P = (81687.5 / 1621) = 50.4 \text{ mm}$$

3- Thiessen Method

- The area is subdivided into subareas using rain gauges as centers
- The subareas are used as **weights** in estimating the watershed average depth
- The Thiessen network is fixed for a given gauge configuration, and polygons must be reconstructed if any gauges are relocated

$$P = (\sum A_i * P_i) / \sum A_i$$

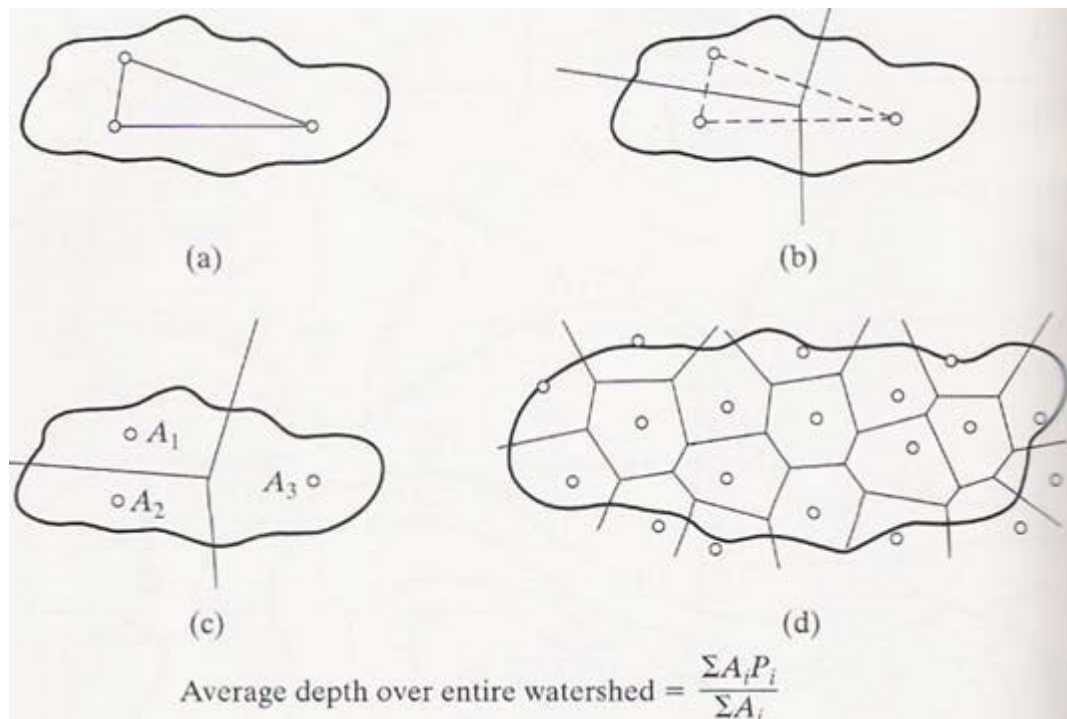
$$P = \sum_{i=1}^M P_i \frac{A_i}{A}$$

Where:

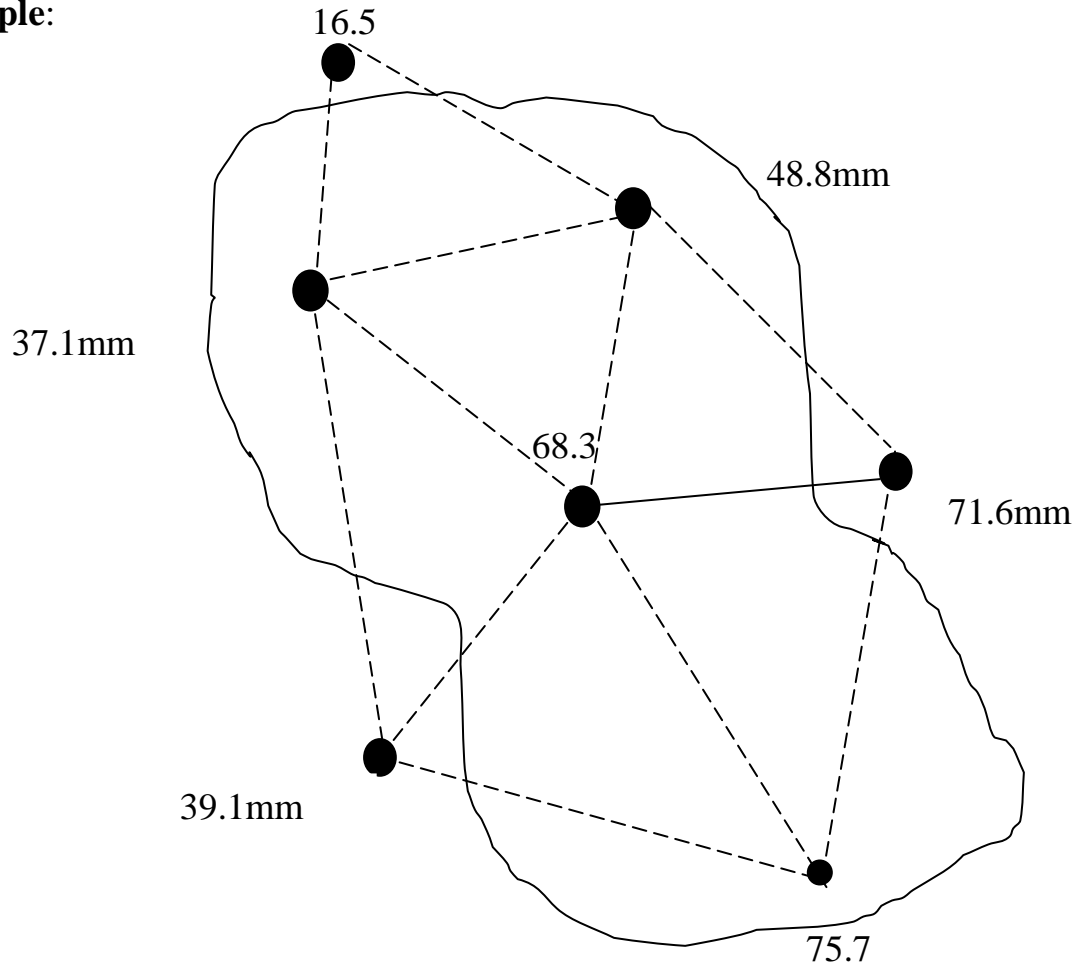
p= Average depth over entire watershed

A = total area, A_i = area for station i , M = total stations

$\frac{A_i}{A}$ is called the weightage factor for each station



Example:



| No. | Rain fall (P_i), (mm) | a_i , (km^2) | % Total area $=a_i/A$ | P_i *% Total area |
|-----|------------------------------|------------------------------|--------------------------|---------------------|
| 1 | 16.5 | 119 | 7 | 1.2 |
| 2 | 37.1 | 308 | 19 | 7 |
| 3 | 48.8 | 308 | 19 | 9.3 |
| 4 | 68.3 | 324 | 20 | 13.7 |
| 5 | 71.6 | 162 | 10 | 7.2 |
| 6 | 39.1 | 130 | 8 | 3.1 |
| 7 | 75.7 | 275 | 17 | 12.9 |
| | $\Sigma P=357.1$ | 1626 | 100% | $\Sigma 54.4$ |

$P=54.4$ mm

$P=(357.1/7)=51$ mm by arithmetic mean method